



## Modeling and Analysis of a Hydrogen Release in a Large Scale Facility

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# Overview

- Background
- Scale Model Simulations
- Full Scale Simulations
- Extending Results
- Additional Considerations
- Questions

# Background

- Increasing use of hydrogen powered forklifts within warehouses
- Indoor refueling of forklifts presents possible release scenarios
- Consequence of accidental release needs to be assessed

# Background

- Modeling Approach
  - FireFoam code used for CFD simulations
    - tracked transport of H<sub>2</sub> in warehouse
    - estimated overpressure from mass above LFL
  - Two sets of simulations
    - scale model
      - compared with experiments
    - full scale warehouse

# Scale Model Simulation

- Experiments

(Ekoto et al. 2012)

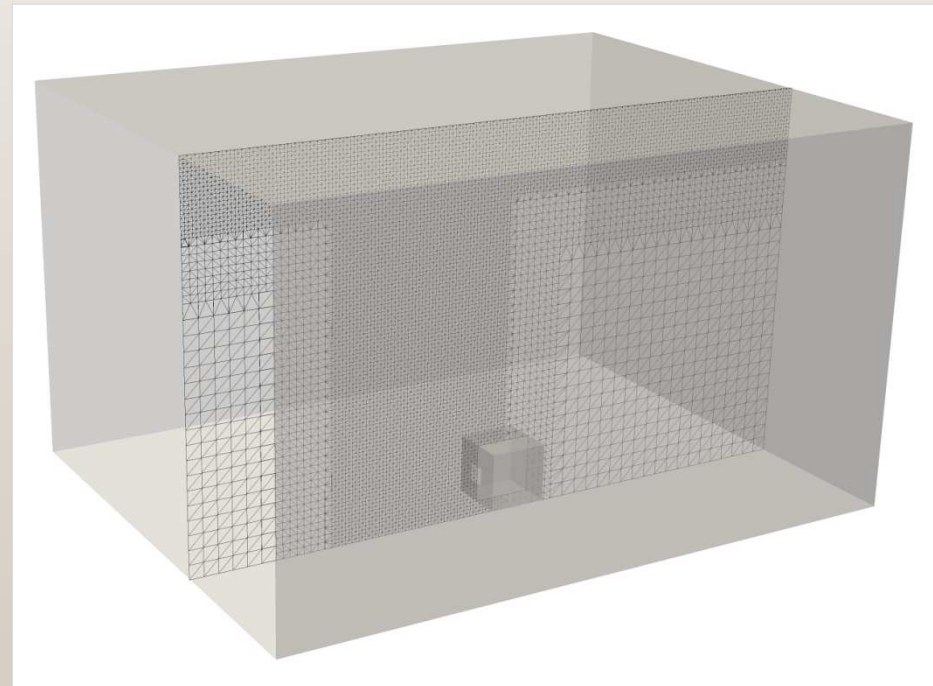
- 2.7 x 4.6 x 3.6 m<sup>3</sup> enclosure
- simulated release from a forklift
- varying release rate
  - simulated H<sub>2</sub> tank release
- measured H<sub>2</sub> concentration, overpressure



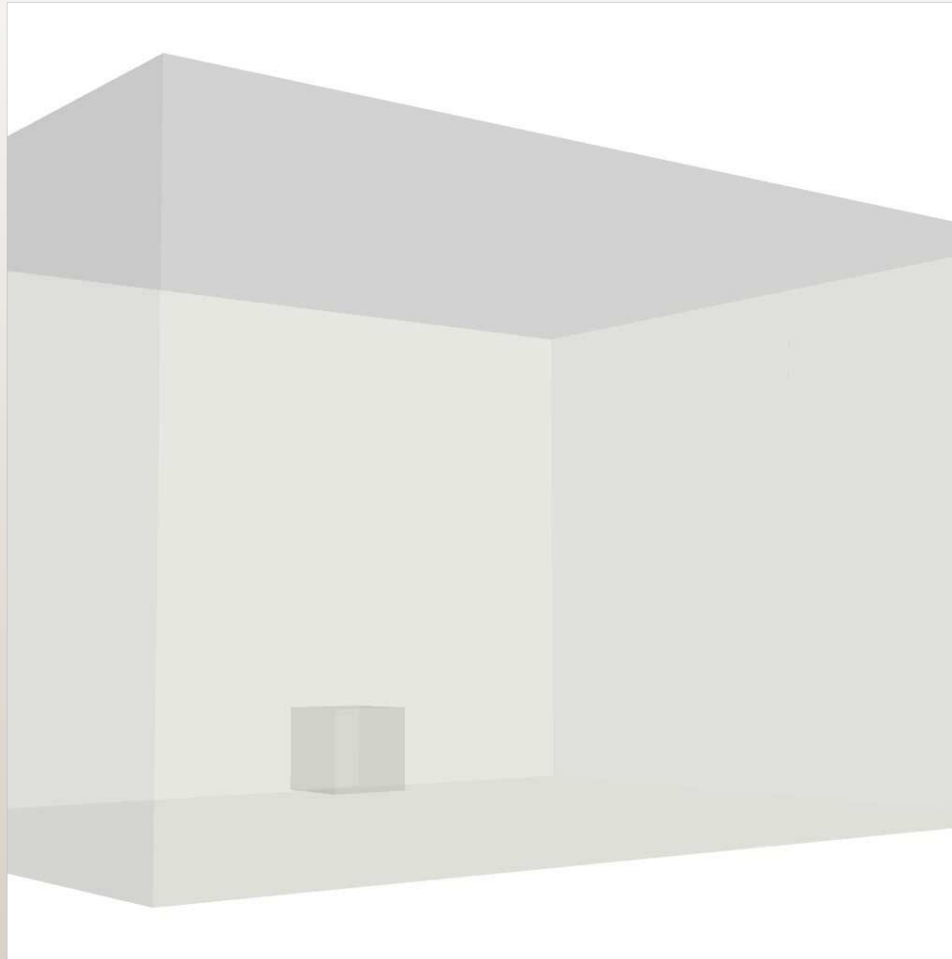
# Scale Model Simulation

- CFD Simulations

- non-uniform mesh, refined mesh where  $H_2$  is present
- tested multiple mesh resolutions, from 2.5 -10 cm
  - 50,000 – 900,000 grid points

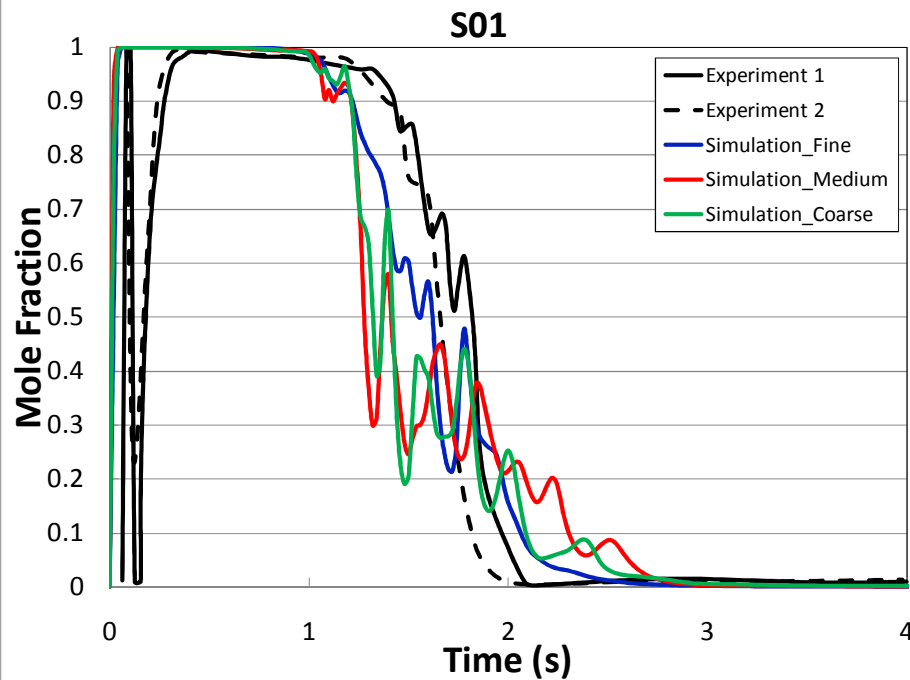


# Scale Model Simulation

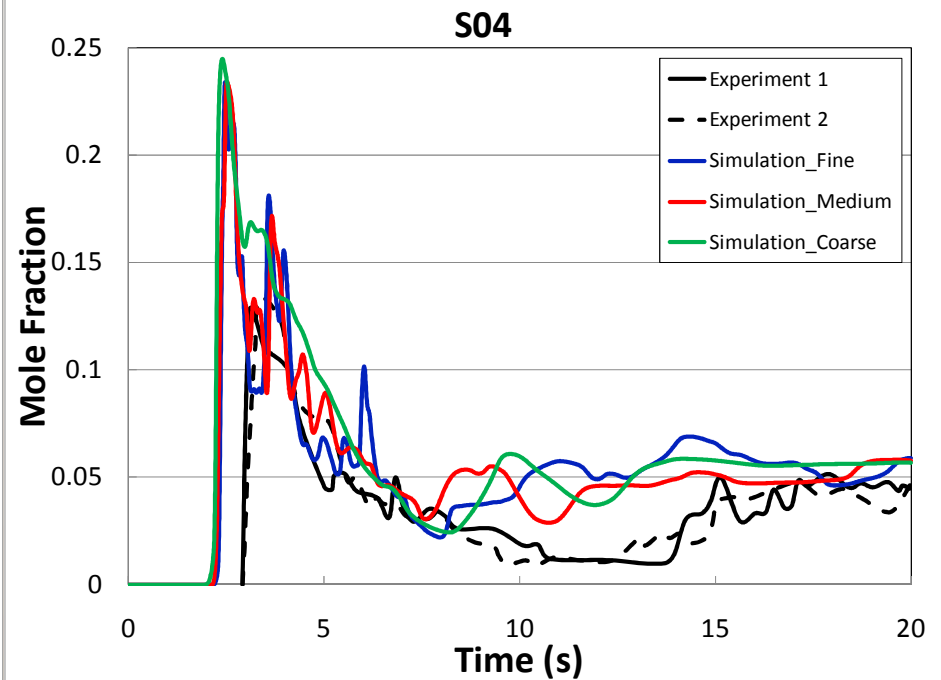


# Scale Model Tests

- Concentration Results



near dispenser



at ceiling

– Total mass above LFL consistent across resolutions



# Scale Model Tests

- Overpressure estimate
  - quasi-static pressure rise
    - pressure rises uniformly on all surfaces in warehouse
  - assumptions :
    - all H<sub>2</sub> above LFL consumed
    - well sealed enclosure

$$\Delta p = p_0 \left[ \left( \left( \frac{V_T + V_{H_2}}{V_T} \right) \left( \frac{V_T + V_{Stoich} (\sigma - 1)}{V_T} \right) \right)^\gamma - 1 \right]$$

# Scale Model Tests

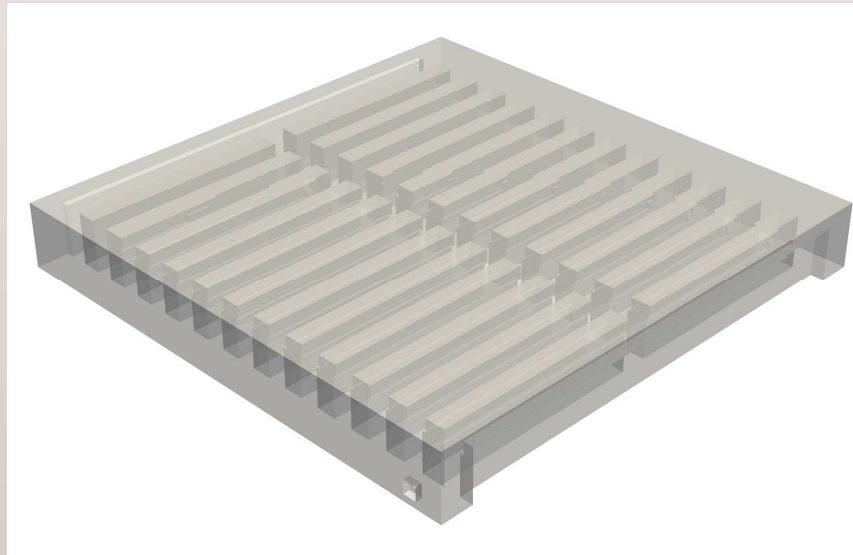
- Maximum Overpressure
  - Measured (Ekoto et al., 2012):
    - 0.19 bar ceiling ignition
    - 0.25 bar forklift ignition
  - Model results:
    - 0.24 bar

# Scale Model Tests

- Summary
  - simulation results closely match experimental concentration measurements
  - grid independence found for mesh resolutions up to 10 cm
  - quasi-static pressure rise method produces reasonable estimate for overpressure

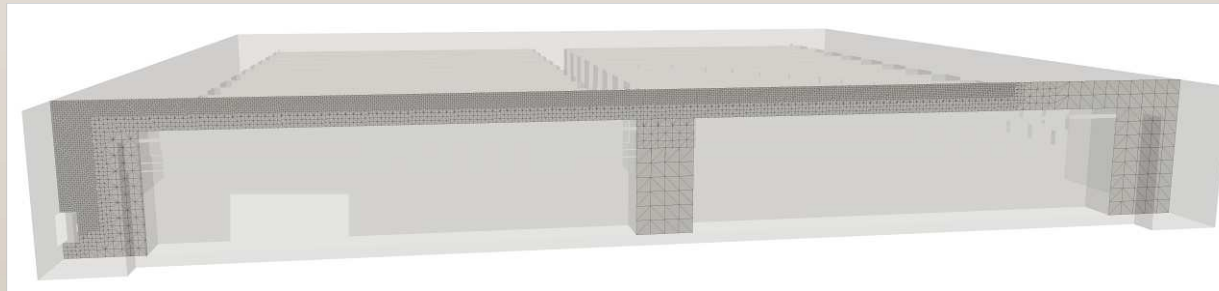
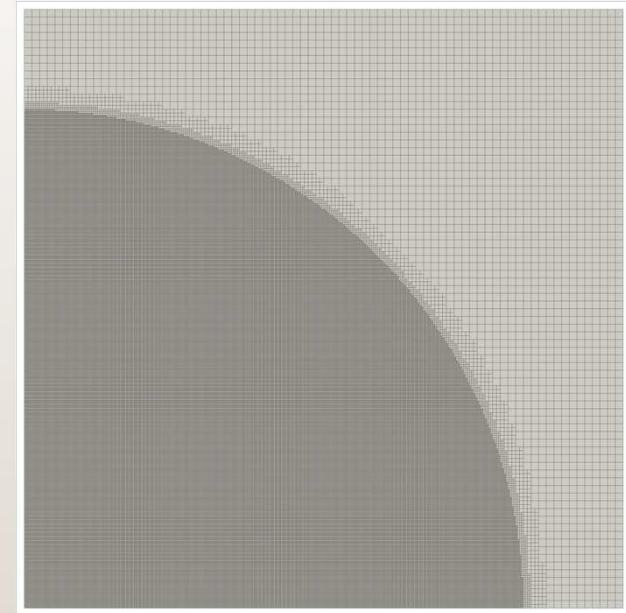
# Full Warehouse Simulation

- 62 x 62 x 8 m warehouse (approx. 200x200x25 ft)
- steady 3 minute release
- 5 release rates used
  - 0.25, 0.5, 1.0, 2.0 and 4 kg/min



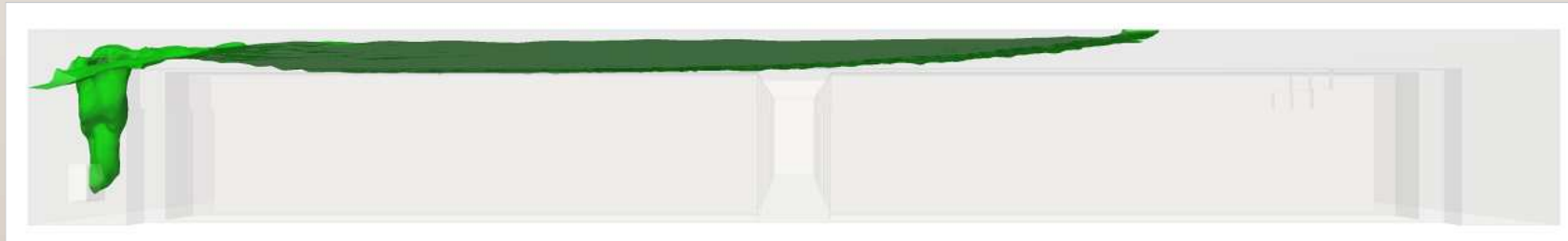
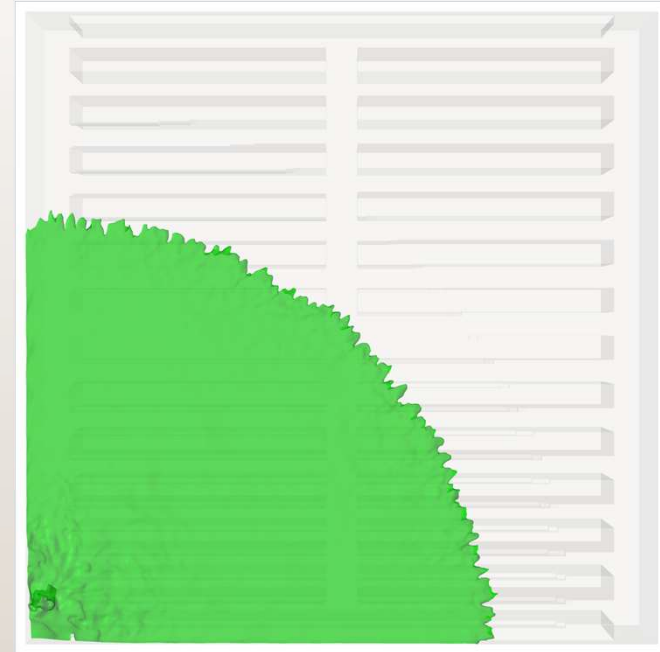
# Full Warehouse Simulation

- Computational Mesh
  - non-uniform mesh
  - 10 cm grid resolution
  - 0.24 m<sup>2</sup> release outlet, low exit velocity, corner of warehouse



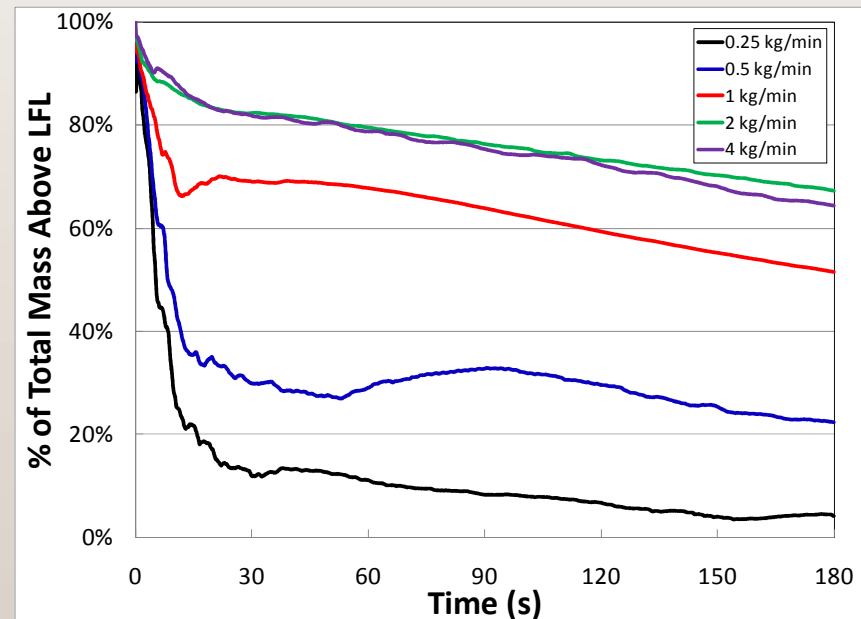
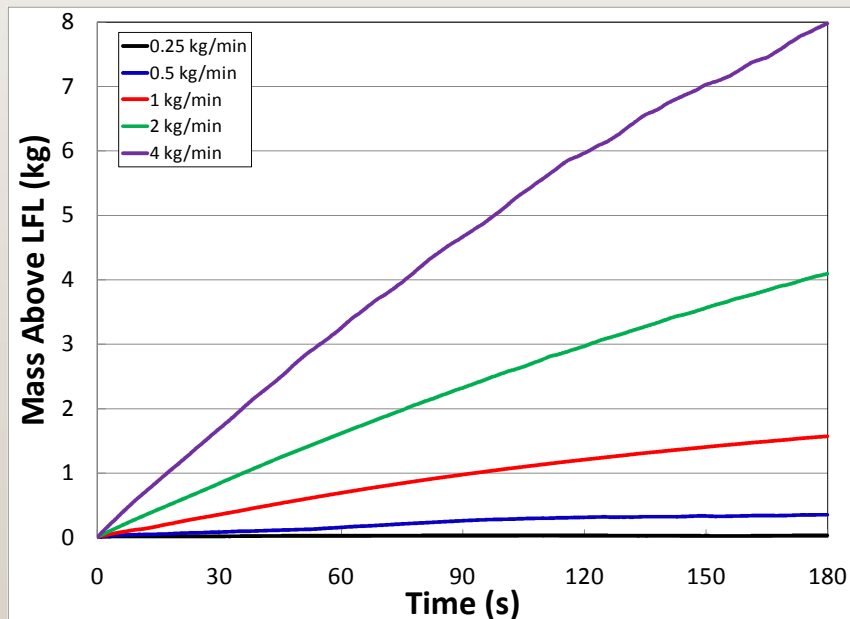
# Full Warehouse Simulation

- Results
  - H<sub>2</sub> formed thin circular clouds below ceiling
  - cloud thickness varied with release rate



# Full Warehouse Simulation

- Results
  - with lower release rates, proportionally less H<sub>2</sub> remained above LFL



# Full Warehouse Simulation

- Summary of CFD Results
  - closed, unventilated warehouse

<b>Release rate (kg/min)</b>	<b>Mass above LFL (kg)</b>	<b>P<sub>max</sub> (bar)</b>
0.25	0.03	-
0.5	0.34	0.01
1	1.6	0.02
2	4.1	0.06
4	8.0	0.12

- > 0.02 bar light damage to roof/wall panels and broken windows expected
- > 0.10 bar major structural damage expected



# Extending Results

- Effect of Ventilation Systems
  - fully closed warehouse assumption overly conservative
  - ventilation systems can reduce pressure two ways
    - provides venting/pressure relief
    - removes hydrogen from warehouse
  - hydrogen removal neglected
    - highly dependent of vent placement

# Extending Results

- Ventilation System Pressure Relief Estimate
  - estimate H<sub>2</sub> consumption time from cloud shape, size
  - compares ventilation with volume production rate

$$\Delta p = p_0 \left[ V_T^{-\gamma} \left( V_T + \frac{\pi h (\sigma - 1)}{4} R^2 - \frac{R \dot{V}_{vent}}{\sqrt{\sigma} S_L} + \frac{\dot{V}_{vent}^2}{\pi h (\sigma - 1) \sigma S_L^2} \right)^\gamma - 1 \right]$$

- Extended warehouse sizes
  - assume cloud shape, mass above LFL unchanged
  - simply increase volume used in calculation

# Extended Results

- Peak overpressure summary

(Ventilated results assume 3 air changes/hour)

Volume (m <sup>3</sup> )	1 kg/min		2 kg/min		4 kg/min	
	Closed (bar)	Ventilated (bar)	Closed (bar)	Ventilated (bar)	Closed (bar)	Ventilated (bar)
16,000	0.05	0.03	0.12	0.09	0.24	0.21
25,000	0.03	0.01	0.08	0.04	0.15	0.11
<b>31,000</b>	<b>0.02</b>	<b>0.01</b>	<b>0.06</b>	<b>0.02</b>	<b>0.12</b>	<b>0.08</b>
50,000	0.01	-	0.04	0.01	0.07	0.04
62,000	0.01	-	0.03	-	0.06	0.02
100,000	0.01	-	0.02	-	0.04	0.01

# Additional Considerations

- Sprinkler Activation
  - hydrogen cloud accumulates at ceiling
    - sprinklers typically mounted within 18” of ceiling
  - high temperature combustion products
  - sprinkler activation can cause significant damage
    - water damage to commodities
    - impair fire protection of warehouse
  - sprinkler activation experimentally confirmed

# Additional Considerations

- Sprinkler Activation
  - using CFD results for cloud size, area of sprinkler activation can be estimated

<b>Release Rate (kg/min)</b>	<b>Cloud Radius (m)</b>	<b>Percentage of Warehouse* Area (%)</b>
0.25	8	1.3
0.5	19	7.4
1	34	23
2	46	43
4	54	60

# Summary

- Model approach produces results consistent with scale model experiments
- Maximum overpressure highly dependent on release rate, size of warehouse
- Damage associated with sprinkler activation must also be considered

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# Questions?